

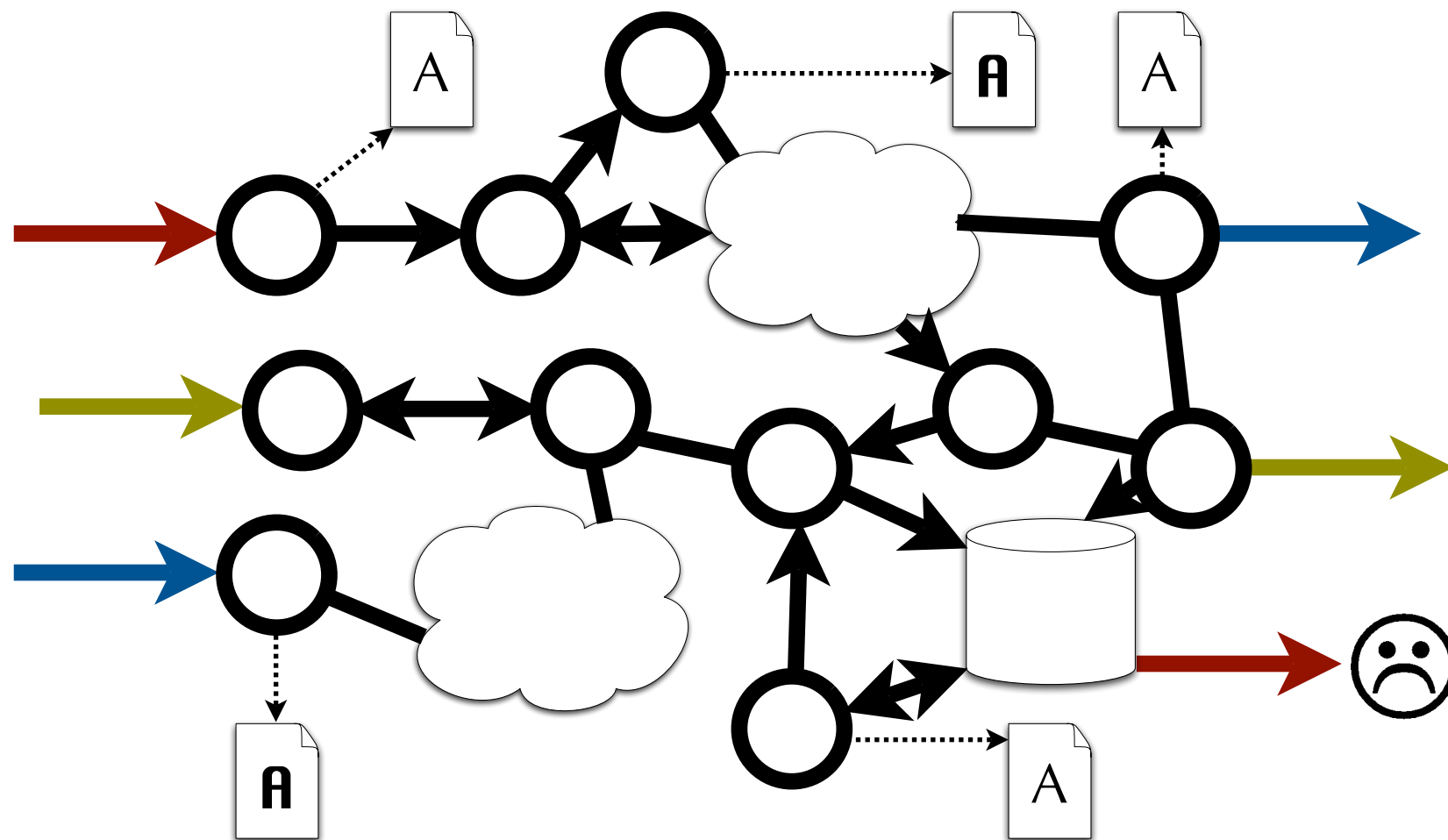
Using Influence to Understand Complex Systems

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A Typical System

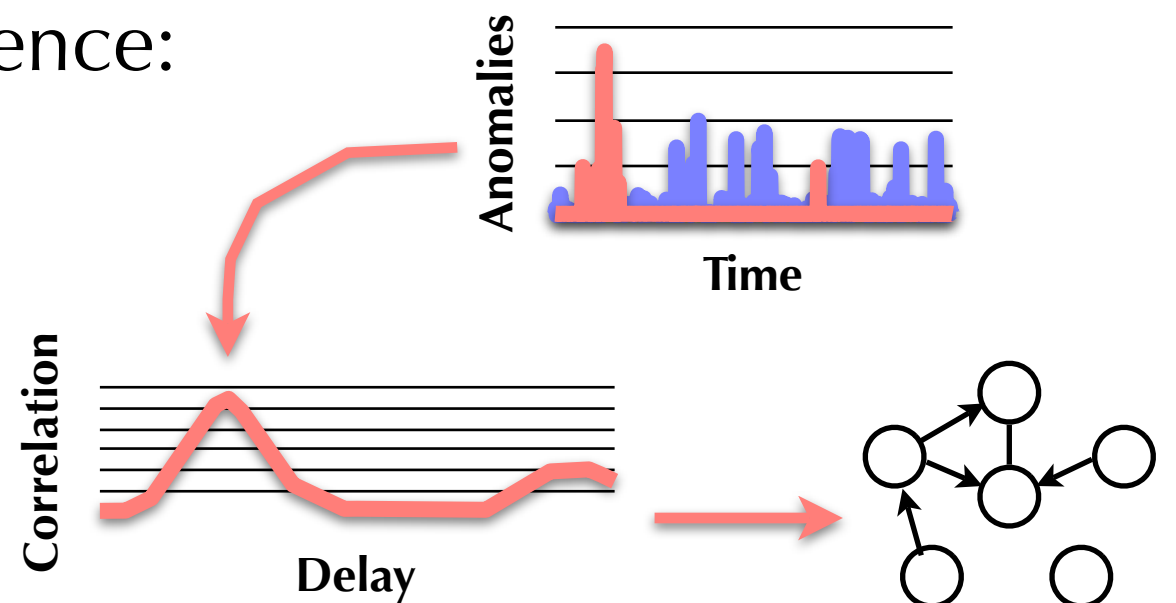
- Complex interactions (loops, shared resources, etc.)
- Noisy and incomplete measurements



Goal and Approach

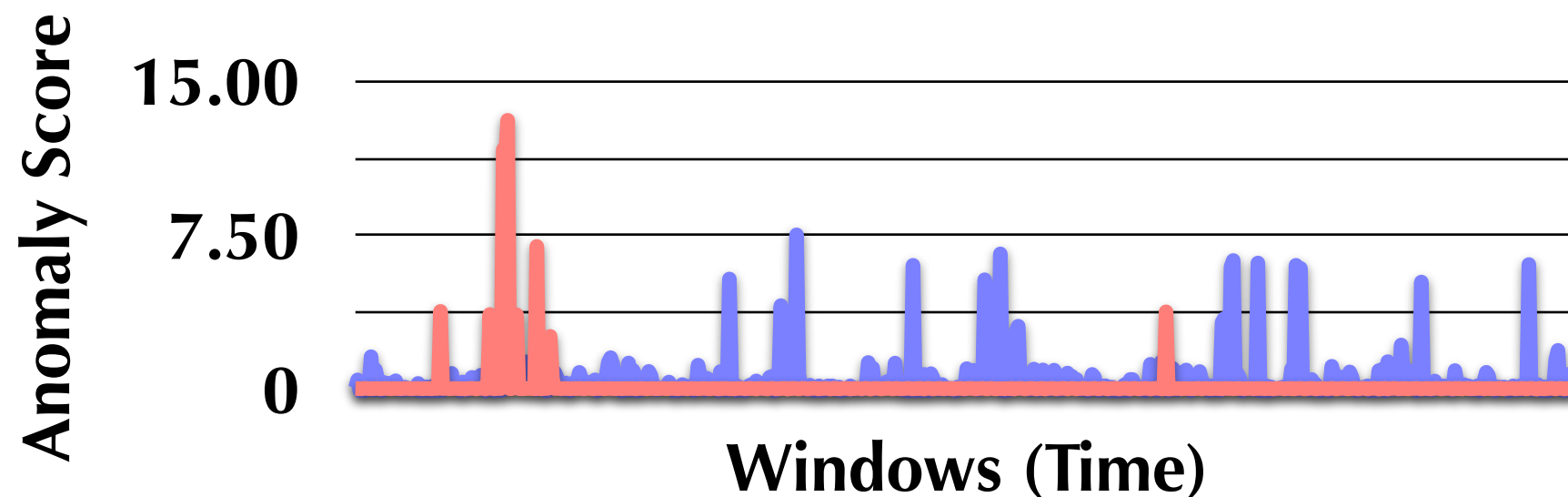
Infer which components and interactions were involved with the problem.

- We use **influence** to perform this inference
 - Statistical correlation that captures implicit interactions
 - Three steps to compute influence:
 - (i) identify anomalies
 - (ii) correlate in time/space
 - (iii) infer influence

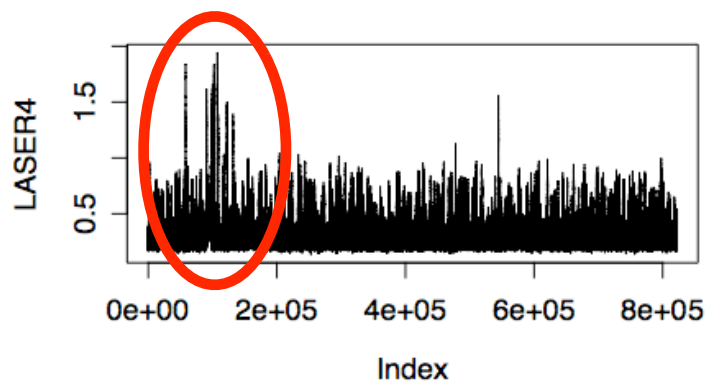
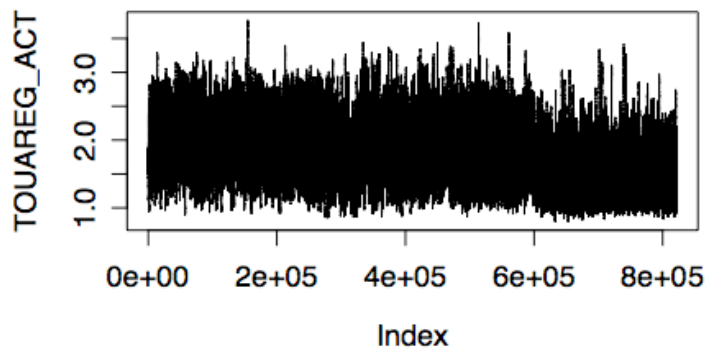
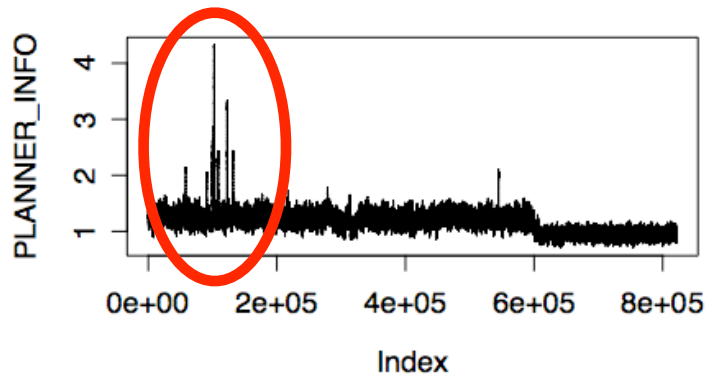


(i) Anomaly Signal

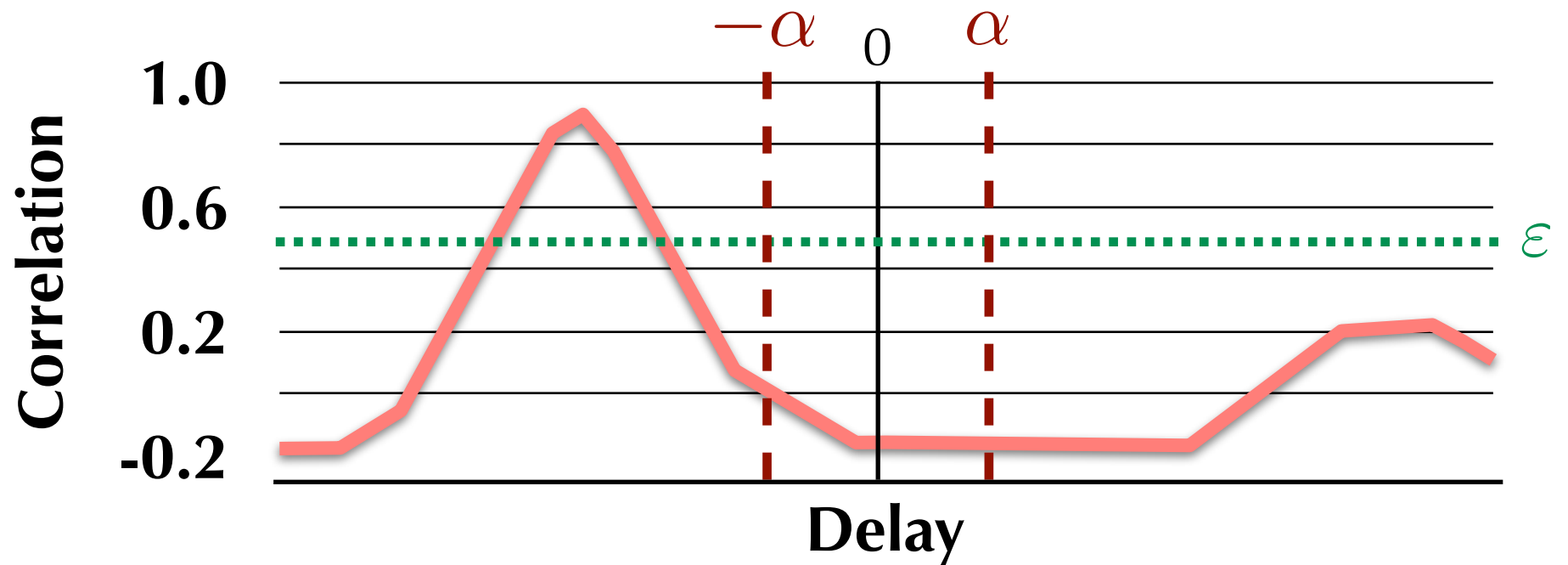
- Surprise over time: $\Lambda_j(t)$
- Component model
 - Compare heterogeneous components
 - Synthesize hypothetical behaviors



(ii) Cross-Correlation

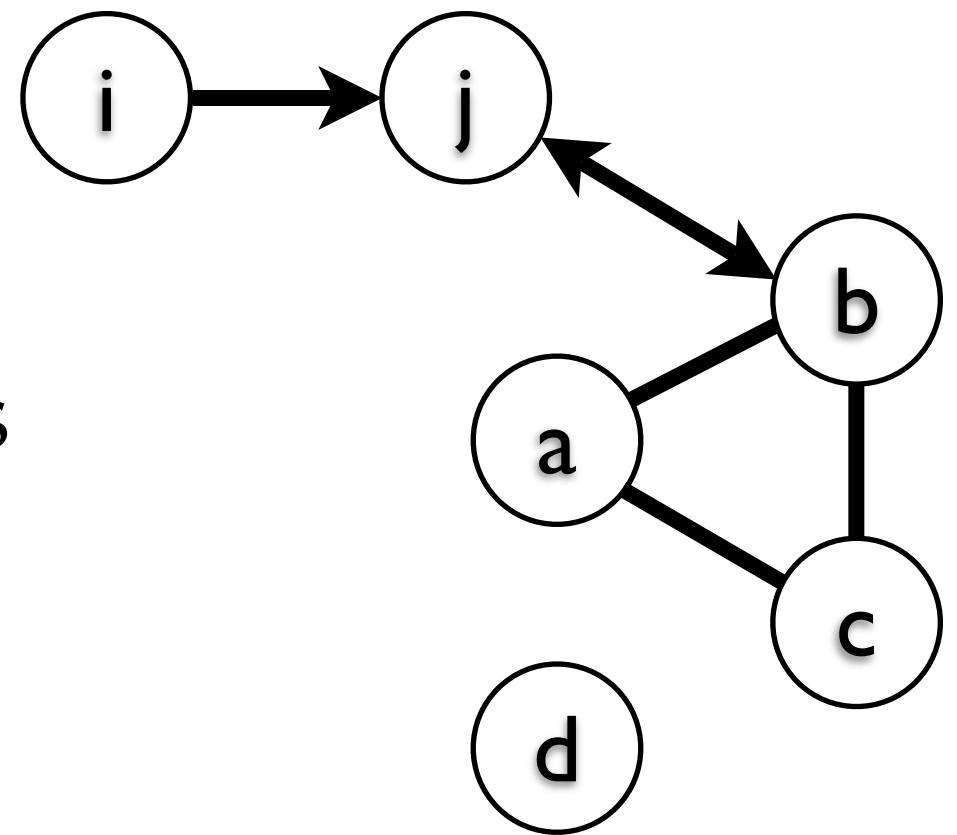


$$(\Lambda_i \star \Lambda_j)(t) \equiv \int_{-\infty}^{\infty} \frac{[\Lambda_i(\tau) - \mu_i][\Lambda_j(t + \tau) - \mu_j]}{\sigma_i \sigma_j} d\tau$$



(iii) Influences

- Encode as a Structure-of-Influence Graph (**SIG**)
 - Various directionality
 - Loops and cliques
 - Time-varying
- Captures implicit interactions
- Well-defined despite noisy or incomplete data



Stanley's Swerve Bug

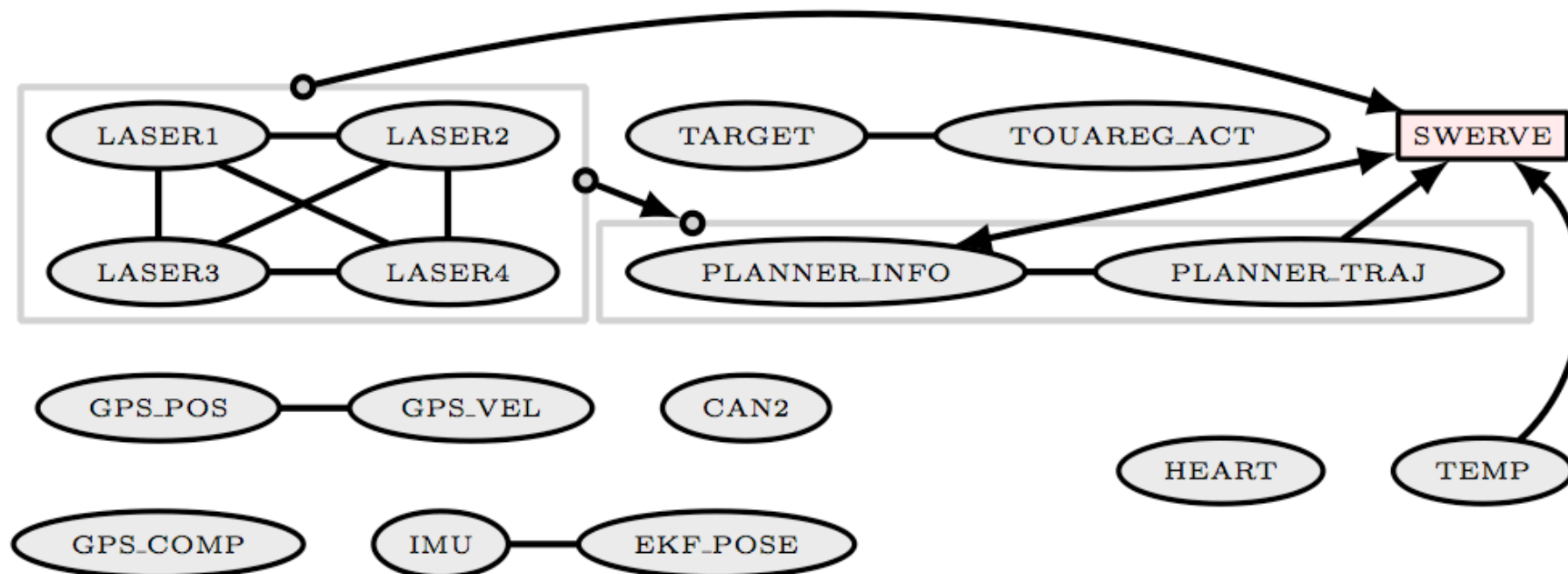
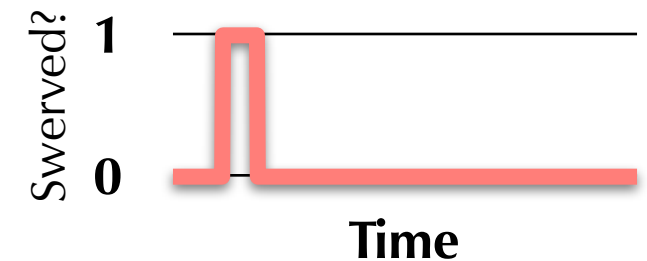
- Won 2005 DARPA Grand Challenge
- Tough bug:
 - Implicit timing dependency
 - Nondeterministic
 - Two month search
- 17 Swerving Incidents



Isolating the Bug

- Model components using timing
- Specify bug as time interval
- Build a SIG for Stanley

$$\Lambda(t) = \sum_{k \in R(t)} R(t, k) \log_2 \frac{R(t, k)}{H(k)}$$



Recent Results

- Junior: modeled Stanley's successor
- **Syzygy**: community epidemic detection
- **Qi**: current project
 - Query language
 - Supercomputers [DSN 07] and clusters
 - Nodeinfo algorithm [ICDM 08]
- We are always looking for data!

